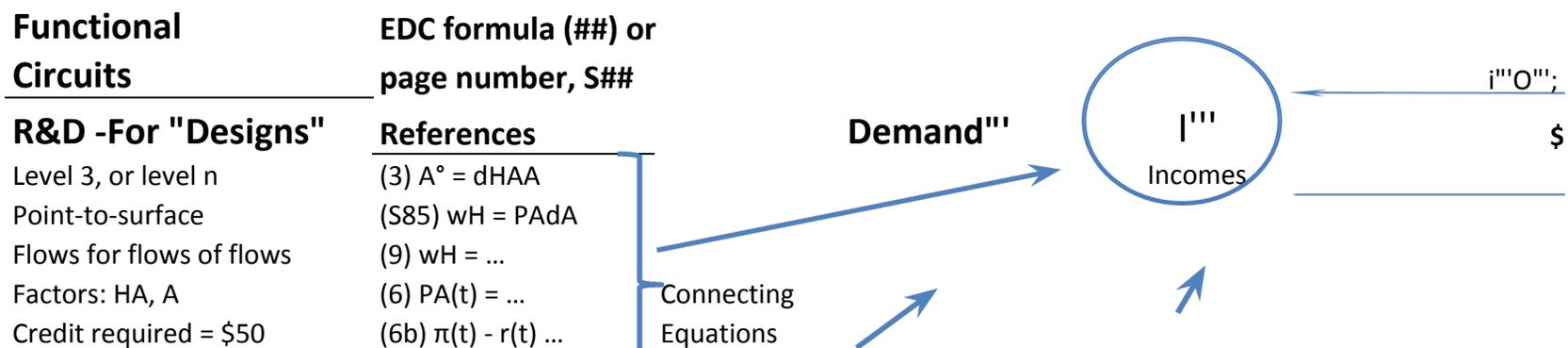
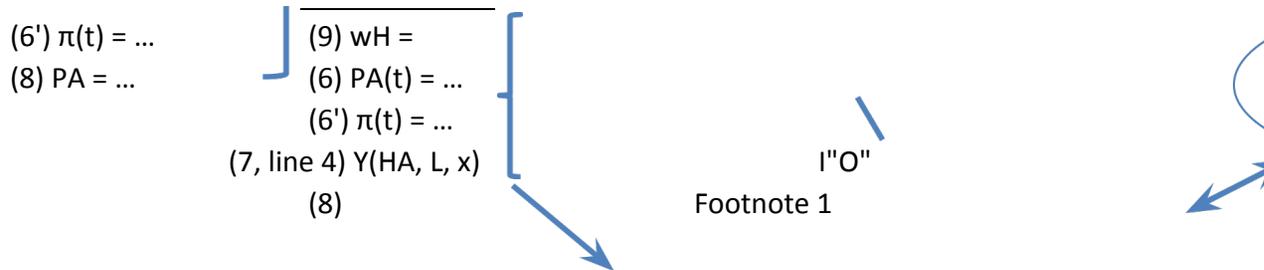


then reborrow, or b) to virtually reloan from the Redistributive Function for the next round of production.

- In Lonergan's more general systematics - a different-sectoral-timings-and-growth-rate, closed-economy, systematics - supply-dem within and between functional circuits in conformity to the transitional expansionary surges of the process.
 - For simplification, we regard the interest rate as zero in this diagram. Interest payments are functionally Smith-to-Jones payment
 - We ignore the human psychology of utility and liquidity preference. What matters in the current, purely dynamic process are actu
 - Romer has engineered an equal growth rate on all levels, by assuming a) a fixed total population and a fixed population of labor (S through production of final products, and d) denomination of loans and units of producer durables in units of final products η (S
 - The quantities of Romer's algebra may be made velocities by assuming that all occur in a standard interval of time. Therefore, A° ,
 - While Romer's equal rates of growth do not occur as such in the short term, they are less objectionable in describing civilization's
 - There is no royal road to Romer. His scientific dynamics cannot be fully appreciated without understanding his equations, both se
 - Romer provides explanation of how economic incentives and subsidies govern **Endogenous Technological Change** via a three-t analytically distinguished and implicitly defined, interdependent functional flows of products and payments, prior to and independ
- Also, Lonergan advances beyond this framework to a supplemental explanation of a normative, equilibrated **pure cycle** (
- Herewith, in Lonergan's universal, always-current, explanatory framework, Romer's always-very-long-run explanatory systematics

Romer's very-long-run growth rates: $g = C^\circ/C = Y^\circ/Y :$
 and $g = dHA = dH - [\alpha/(1-$





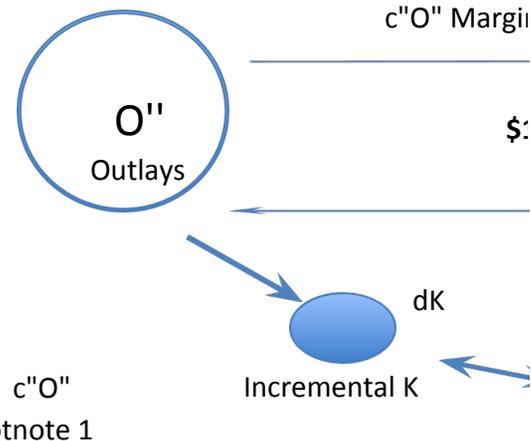
Produce Durables

Level 2, or level n - 1
 Point- to-line
 Flows for flows
 Factors: HY, L, xi
 Credit required = \$50 + \$100

References

(4) $p(i) = (1-\alpha-\beta) \dots$
 (6b) $\pi(t) - r(t) \dots$
 (2) $K^\circ(t) = Y(t) - C(t)$
 (S82) $K = \eta \sum_{1 \infty} x_i = \eta \sum_{1} A x_i$
 (1') $Y(HY, L, X) = \dots$
 (7, line 4) $Y(HA, L, X) = \dots$
 (10) $HY = \dots$
 (S92) $Y = \dots$
 (S82) $K = \eta \sum_{1 \infty} x_i = \eta \sum_{1} A x_i$
 (S89) $K = \eta A x^\circ$

Supply"

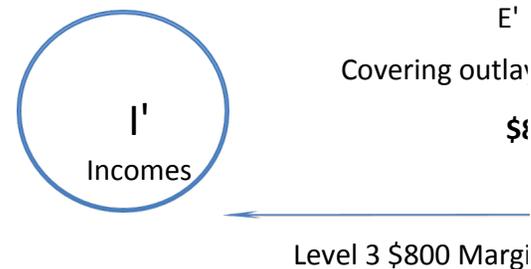


Produce Final Output

Level 1, or level n-2
 Point-to-point
 Flows
 Factors: HY, L, xi
 Credit required = \$50 + \$100 + \$800

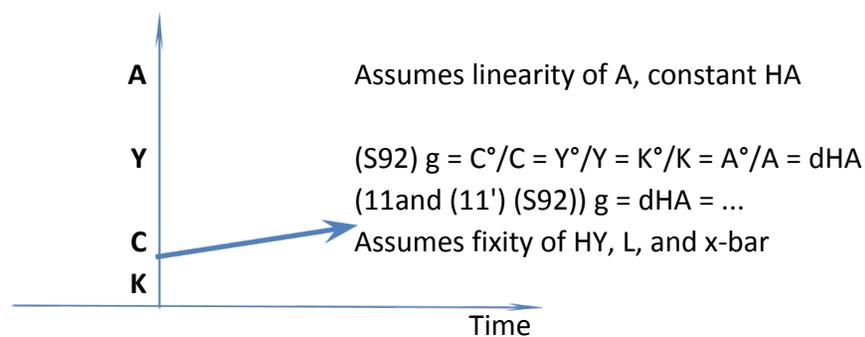
Demand'

ftnt 4



Credit required = \$50 + \$100 + \$800

Romer's **rates of growth in the very long run** - Equal for all elements. Agrees with CWL 15, 124 re
 For a fixed value of $HA = H - HY$ and for a productivity parameter δ , the implied exponential growth g
 (S91-2) From the monopoly pricing problem, we know that $x^o(x\text{-bar})$ is constant if r is. ... $Y = \dots$ becau



Compare Romer's equal growth rate in all sectors

$$(S92) g = C^o/C = Y^o/Y = K^o/K = A^o/A = dHA$$

$$(11) g = dHA$$

with Lonergan's Figure 24-7 [CWL 15, 125] showing different sectors growing at different rates and δ
 and with Figure 27-1 showing different growth rates of the Pure Surplus-Income Ratio

Footnotes:

1

Zero \$ under Romer's assumptions of no depreciation; therefore, dotted line indicates no flow to pu

- 2 See CWL 21, 169: The costs incurred become the responsibility of a later entrepreneur in the series of
 - 3 CWL 15, 122
 - 4 Workers on all levels bring their incomes to basic demand
-
-

1 Lonergan's General, Universal, and Always Current Framework

Flows in the Purely Dynamic, Very-Long-Run, Economic Process

stand clearly the meaning and implications of the words "function", "per", "interval", "per interval", "surplus", "basic", and "dividends" this is **purely functional**.

acts and payments. We are not aggregating the commonsense GAAP accounts of firms and households. One is thrown off the diagram, and have insight into, the geometrically increasing payments **within circuits and the lags between the initiation of production and** interdependent, circulatory, vital functional flows.

would be called departments or divisions and the transactions would be simply interdepartmental handoffs upon the completion of production..
managements of financing (Who finances What, When, and How?) while preserving the essential form of the interdependent activities.
function. With 3-D we would show one planar circle with arrows to the operative circuits on a plane above.

to reborrow vs. borrow and rollover of existing credit.

flows, the **RATES** may be regarded as **instantaneous velocities**, though in practice they will be **difference velocities** .

symbolic dot above a letter in our symbols toolkit, we signify accelerations with a "degree" (°) superscript:

° for total output, Y , in the production function;

and complications in the graphics, we use a pair of internal handoffs and a final handoff as products exit the process:

produces durables and assumes principle-plus-interest credit-repayment obligation of \$50 having been incurred in R&D activities.

or level 3's assumption of a principle-plus-interest credit-repayment obligation of \$150, which includes

process. Whether shirts, stoves, or houses, they have exited the current process.

by the demand of income-receiving-owner-consumers themselves matching the supply by themselves as owner-outlayers.

ing, and b) purchase-sale contracts, \$950 is received to be used either to a) pay down the loans from the Banking System,

and equilibrium is constituted by the normative concomitance of interdependent functional flows

s. The money circulates like any payments. The question is, What does Jones do with it?

ial functional payments regardless of the fuzzy psychology of the payers.

i79), b) linearity of HA and A when the other is held constant (S84), c) instantaneous transmission of effects from R&D down

i79, 82).

Y° , K° , and C° represent accelerations, or in Romer's terms, how these quantities "evolve".

advance in the economics of the very long run.

parately and in their coherence with one another. Serious students will study and critique the equations referenced in the diagram.

iered vertical **pure stack** of functional activities, while Lonergan provides a more general explanatory science of a

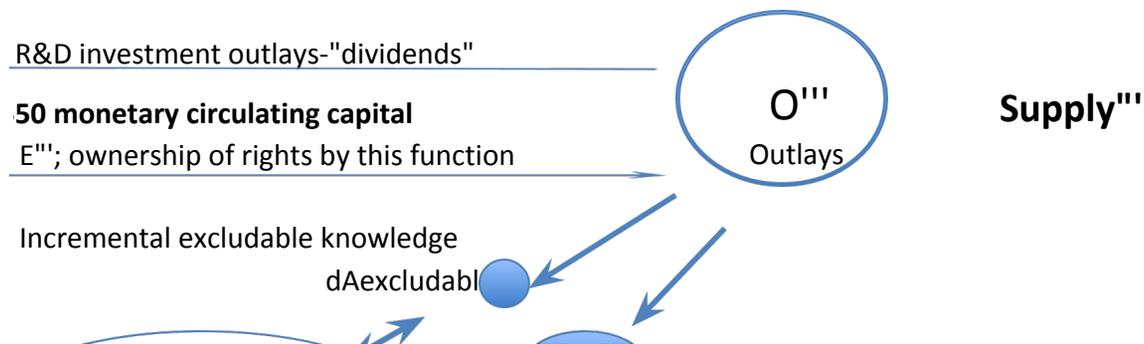
dent of human psychology.

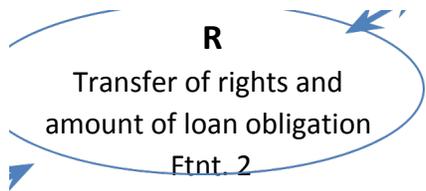
of accumulations , subject to disequilibria caused by human maladaptations.

of interdependent functional velocities implicitly defined by a set of coherent and purely relational equations.

$= K^\circ/K = A^\circ/A = dHA$ (S92) equal only in the very long run; fnt 3)

$-\alpha-\beta)(\alpha+\beta)]r$ (S92) (11)





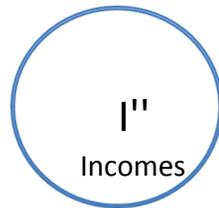
Increment to non-excludable knowledge pool
dAnonexcludable

c''O''
Footnote 1

nal outlays-"dividends" on machines \$100

100 monetary circulating capital

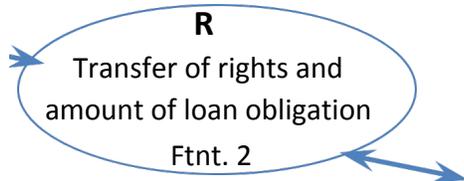
E''; ownership of rights by this function



Demand''

p(i)

Demand Function
(4) $p(i) = (1-\alpha-\beta) \dots$

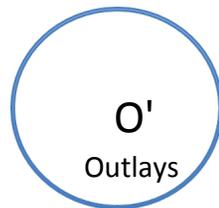


I'O'
Footnote 1

Coverage of all outlays \$950
ys on all levels

300 monetary circulating capital

inal outlays-incomes to produce final output c'O'



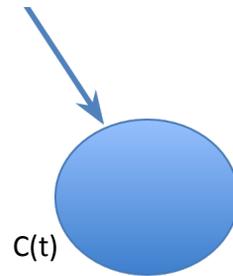
Supply'

x(i)

(5) max for so-called "profit" n
x

	Financing \$ (including r)
Level 1 or n	\$50
Level 2 or n-1	\$100
Level 3 or n-2	\$800

Final output exiting the current, purely dynamic process



\$950	Total borrowin
-\$950	Receipts for fin
<u>\$0</u>	Balance

absurd conclusions

rate for A is δHA . From the monopoly pricing, growth rate for A is δHA . (S83)

use total usage of capital is $Ax^\circ\eta$. (S92)

at different times,

urchase repair and maintenance items

on the way to final sale of final products.



nd the completion of production .



maximization

gs

ial outputs